



- I can use the Ruler Postulate to find lengths of segments. (CC.9-12.G.CO.1)
- I can use the Segment Addition Postulate to find lengths of segments. (CC.9-12.G.CO.1)
- I can use segment postulates to identify congruent segments. (CC.9-12.G.CO.7)

In Geometry, a rule that is accepted without proof I called a **postulate** or an **axiom**. A rule that can be proven is called a **theorem**. Let's start by looking at some geometric postulates.

POSTULATE
For Your Notebook

POSTULATE 1 Ruler Postulate

The points on a line can be matched one to one with the real numbers. The real number that corresponds to a point is the **coordinate** of the point.

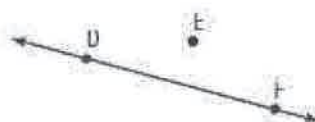
The **distance** between points A and B , written as AB , is the absolute value of the difference of the coordinates of A and B .

The Ruler Postulate is helpful when trying to find lengths of segments. We can find the lengths of segments by looking at the **distance** between two points.

When 3 points are collinear, you can say that one point is **between** the other two.



Point B is between points A and C .



Point E is not between points D and F .

POSTULATE
For Your Notebook

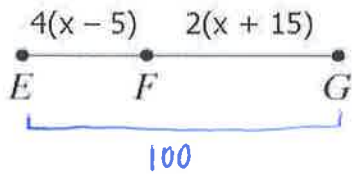
POSTULATE 2 Segment Addition Postulate

If B is between A and C , then

If $AB + BC = AC$, then B is between A and C .

↑
↑
↑
piece piece whole

Example 1 - On \overline{EG} , F is between E and G. If $EG = 100$, we can find FG.



$$4(x-5) + 2(x+15) = 100$$

$$4x - 20 + 2x + 30 = 100$$

$$6x + 10 = 100$$

$$6x = 90$$

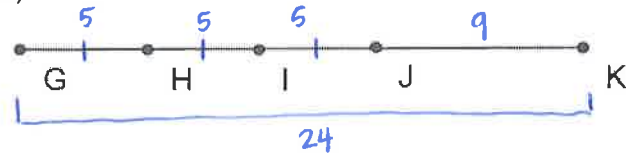
$$\boxed{x = 15}$$

$$FG = 2(15+15)$$

$$= 2(30)$$

$$\boxed{FG = 60}$$

Example 2 - In the diagram of collinear points, $GK = 24$, $HJ = 10$, and $GH = HI = IJ$. Find each length :



a.) $HI = 5$

d.) $IG = 10$

b.) $JK = 9$

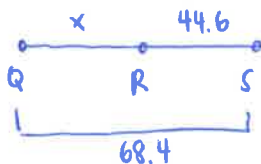
e.) $GH = 5$

c.) $IJ = 5$

f.) $IK = 14$

Example 3 - Find a length.

A) R is between Q and S. If $RS = 44.6$ and $SQ = 68.4$, find QR.

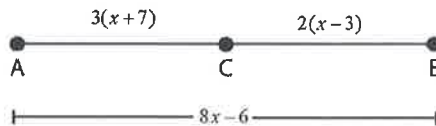


$$x + 44.6 = 68.4$$

$$x = 23.8$$

$$\boxed{QR = 23.8}$$

B) Use the diagram to find AB.



$$3(x+7) + 2(x-3) = 8x-6$$

$$3x+21 + 2x-6 = 8x-6$$

$$5x+15 = 8x-6$$

$$15 = 3x-6$$

$$21 = 3x$$

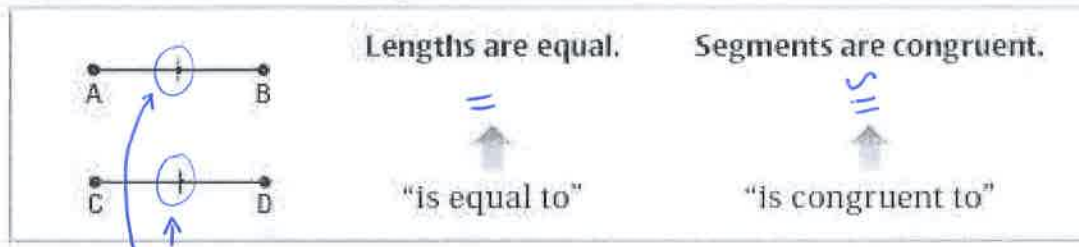
$$\boxed{x = 7}$$

$$AB = 8(7) - 6$$

$$= 56 - 6$$

$$\boxed{AB = 50}$$

CONGRUENT SEGMENTS Line segments that have the same length are called **congruent segments**. In the diagram below, you can say "the length of \overline{AB} is equal to the length of \overline{CD} ," or you can say " \overline{AB} is congruent to \overline{CD} ." The symbol \cong means "is congruent to."



so $\overline{AB} \cong \overline{CD}$

tick marks
mean same length

Example 4 – Compare segments for congruence

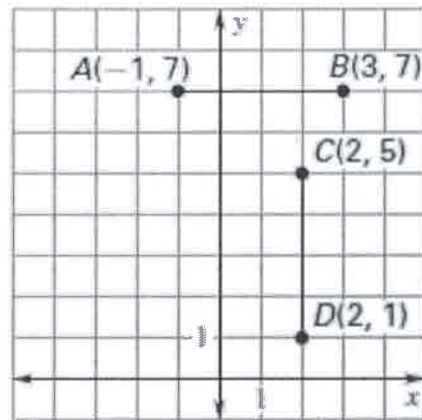
Use the diagram to determine whether \overline{AB} and \overline{CD} are congruent.

- To find length of a horizontal segment, you can subtract the x-coordinates.

$AB = 4$

- To find the length of a vertical segment, you can subtract the y-coordinates.

$CD = 4$



$\overline{AB} \cong \overline{CD}$