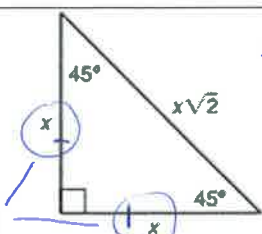




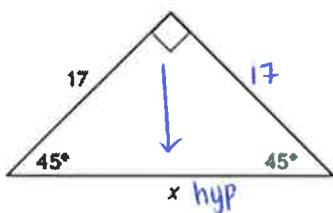
- I can apply special right triangle ratios to find unknown side lengths.
- I can use special right triangles in real world situations.

Theorem	Diagram
<p><b>45° – 45° – 90° Triangle Theorem</b></p> <p>In a 45° – 45° – 90°, both legs are congruent and the length of the hypotenuse is <math>\sqrt{2}</math> times the length of a leg</p>	 <p>* When both legs are the same # or variable, the <math>\Delta</math> is a 45-45-90</p> <p>hyp = leg <math>\cdot \sqrt{2}</math></p>

**Example 1: Find lengths in a 45° – 45° – 90° triangle**

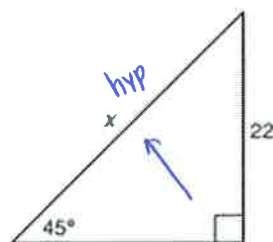
Find the value of  $x$ . Leave answer in simplest radical form.

a.



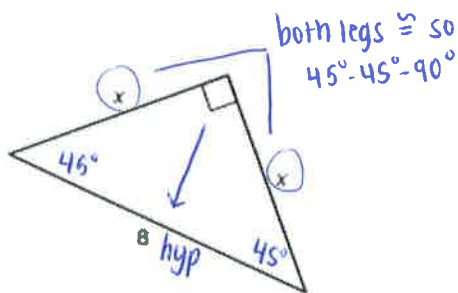
hyp = leg  $\cdot \sqrt{2}$   
 $x = 17\sqrt{2}$

b.



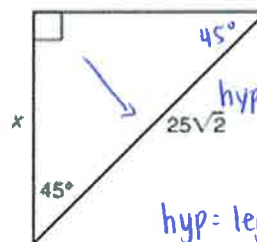
hyp = leg  $\cdot \sqrt{2}$   
 $x = 22\sqrt{2}$

c.



hyp = leg  $\cdot \sqrt{2}$   
 $8 = x\sqrt{2}$   
 $x = \frac{8}{\sqrt{2}} = \frac{8\sqrt{2}}{2} = 4\sqrt{2}$

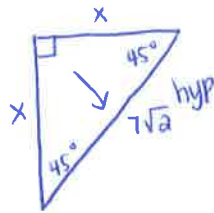
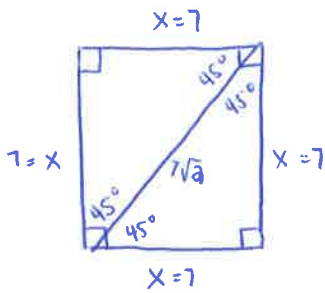
d.



hyp = leg  $\cdot \sqrt{2}$   
 $25\sqrt{2} = x\sqrt{2}$   
 $x = 25$

**Example 2: Apply 45° – 45°– 90° Triangle Theorem**

Find the perimeter and area of the square whose diagonal is  $7\sqrt{2}$  inches long.



$$\text{hyp} = \text{leg} \cdot \sqrt{2}$$

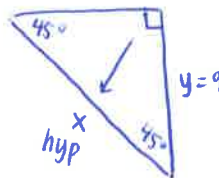
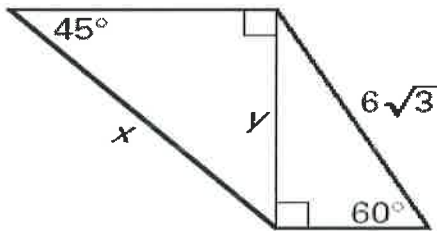
$$\frac{7\sqrt{2}}{\sqrt{2}} = \frac{x\sqrt{2}}{\sqrt{2}}$$

$$x = 7$$

Perimeter =  $7+7+7+7 = 28$  in  
 Area =  $l \times w = (7)(7) = 49$  in<sup>2</sup>

**Example 3: Apply 45° – 45°– 90° and 30° – 60°– 90° Triangle Theorem**

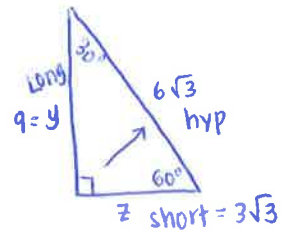
Solve for x and y in the diagram below. \* Separate the two triangles!



$$\text{hyp} = \text{leg} \cdot \sqrt{2}$$

$$x = y \cdot \sqrt{2}$$

$$x = 9\sqrt{2}$$



$$\text{hyp} = \text{short} \cdot 2$$

$$\frac{6\sqrt{3}}{2} = \frac{z}{2}$$

$$z = \frac{6\sqrt{3}}{2} = 3\sqrt{3}$$

$$\text{long} = \text{short} \cdot \sqrt{3}$$

$$y = 3\sqrt{3} \cdot \sqrt{3}$$

$$y = 3\sqrt{9}$$

$$y = 3(3)$$

$$y = 9$$